## $4^{\text {th }}$ Grade MCA3 Standards, Benchmarks, Test Specifications \& Sampler Questions

|  | Standard | No. | Benchmark (4 ${ }^{\text {th }}$ Grade) | Sampler Item |
| :---: | :---: | :---: | :---: | :---: |
| Number \& Operation MCA III 18-22 Items | Demonstrate mastery of multiplication and division basic facts; multiply multidigit numbers; solve real-world and mathematical problems using arithmetic. MCA III 8 - 10 Items | 4.1.1.1 | Demonstrate fluency with multiplication and division facts. Item Specifications <br> - Factors are limited to 1-9 <br> - Vocabulary allowed in items: quotient "and vocabulary given at previoius grades" (\& vgapg). | There are 35 students going on a class trip. The students ride in vans. There are 7 students riding in each van. How many vans are needed to take all the students? A. 4 B. 5 C. 6 D. 7 |
|  |  | 4.1.1.2 | Use an understanding of place value to multiply a number by 10,100 and 1000. <br> Item Specifications <br> - Numbers multiplied by 10,100 and 1000 may contain at most, 2 digits <br> - Numbers must be whole numbers <br> - Vocabulary allowed in items: vgapg | A truck has 50 boxes of jump ropes. Each box contains 100 jump ropes. How many jump ropes are on the truck? <br> A. 50 <br> B. 500 <br> C. 5,000 <br> D. 50,000 |
|  |  | 4.1.1.3 | Multiply multi-digit numbers, using efficient and generalizable procedures, based on knowledge of place value, including standard algorithms. <br> Item Specifications <br> - Items will contain multiplication of a one- or two-digit number by a two- or three-digit number <br> - Numbers must be whole numbers <br> - Items must not have context <br> - Vocabulary allowed in items: factor \& vgapg. |  |
|  |  |  | Estimate products and quotients of multi-digit whole numbers by using rounding, benchmarks and place value to assess the reasonableness of results. <br> For example: $53 \times 38$ is between $50 \times 30$ and $60 \times 40$, or between 1500 and 2400 , and $411 / 73$ is between 5 and 6 . <br> Item Specifications <br> * Assessed within 4.1.1.5 | No Sampler Item |
|  |  | $\text { 4.1.1.5 }{ }^{\mathrm{u}}$ | Solve multi-step real-world and mathematical problems requiring the use of addition, subtraction and multiplication of multi-digit whole numbers. Use various strategies, including the relationship between operations, the use of technology, and the context of the problem to assess the reasonableness of results. <br> Item Specifications <br> - Solutions must be less than 100,000 <br> - Vocabulary allowed in items: operation, strategy, solve \& vgapg. | A camping group bought 15 sleeping bags that cost \$42 each and a tent that cost $\$ 160$. What was the total cost of the sleeping bags and the tent? A. $\$ 217$ B. $\$ 630$ C. $\$ 790$ D. $\$ 2,442$ |




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|  |  | 4.1.2.7 | Round decimals to the nearest tenth. <br> For example: The number 0.36 rounded to the nearest tenth is 0.4 . <br> Item Specifications <br> - Numbers must be less than 500 <br> - Decimals may be given up to thousandths <br> - Vocabulary allowed in items: decimal \& vgapg. | What is 9.582 rounded to the nearest tenth? A. 9.5 B. 9.58 C. 9.6 D. 10 |
| Algebra <br> MCA III $8-10$ <br> Items | Use inputoutput rules, tables and charts to represent patterns and relationships and to solve real-world and mathematical problems. MCA III 4 - 5 Items | 4.2.1.1 | Create and use input-output rules involving addition, subtraction, multiplication and division to solve problems in various contexts. Record the inputs and outputs in a chart or table. <br> For example: If the rule is "multiply by 3 and add $4, "$ record the outputs for given inputs in a table. <br> Another example: A student is given these three arrangements of dots: <br> Identify a pattern that is consistent with these figures, create an input-output rule that describes the pattern, and use the rule to find the number of dots in the $10^{\text {th }}$ figure. <br> Item Specifications <br> - When creating a rule from pairs, 3 input-output pairs must be given; pairs are not required to be consecutive <br> - Output should not exceed 100 <br> - Vocabulary allowed in items: vgapg | A table is shown. <br> What rule was used to make the table? A. $g=2 f$ B. $g=\frac{f}{2}$ C. $g=f+2$ D. $g=2 f+2$ |
|  | Use number <br> sentences <br> involving <br> multiplication, <br> division and <br> unknowns to <br> represent and <br> solve real-world <br> and <br> mathematical <br> problems; <br> create real- <br> world situations <br> corresponding <br> to number <br> sentences. <br> MCA III <br> $\mathbf{4} \boldsymbol{- 5}$ Items | 4.2.2.1 | Understand how to interpret number sentences involving multiplication, division and unknowns. Use real-world situations involving multiplication or division to represent number sentences. <br> For example: The number sentence $a \times b=60$ can be represented by the situation in which chairs are being arranged in equal rows and the total number of chairs is 60 . <br> Item Specifications <br> - Numbers must be less than 100 <br> - Variables, boxes or blanks may be used to represent unknown numbers <br> - Vocabulary allowed in items: variable \& vgapg. | Which equations are true when $n=12$ ? <br> Click on the equations you want to select. <br> 12 $\qquad$ $5=17+43$ <br> Which symbol makes the equation true? <br> A. + B. - C. $\times$ D. $\div$ |
|  |  | 4.2.2.2 | Use multiplication, division and unknowns to represent a given problem situation using a number sentence. Use number sense, properties of multiplication, and the relationship between multiplication and division to find values for the unknowns that make the number sentences true. <br> For example: If $\$ 84$ is to be shared equally among a group of children, the amount of money each child receives can be determined using the number sentence $84 \div n=d$. <br> Another example: Find values of the unknowns that make each number sentence true: $\begin{aligned} & 12 \times m=36 \\ & s=256 \div t . \end{aligned}$ <br> Item Specifications <br> - Numbers must be less than 100 <br> - Variables, boxes or blanks may be used to represent unknown numbers <br> - Vocabulary allowed in items: variable \& vgapg. | Robert has 54 pencils. He has 1 box of pencils and 3 packages of pencils. The box has 24 pencils. Which equation can be used to find $p$, the number of pencils in each package? A. $p=54+3 \times 24$ B. $24=54+3 \times p$ C. $54=3+24 \times p$ D. $54=24+3 \times p$ |





